

Example 3 – hand calculations – open fencing for wind loading – solid / mostly solid fencing for wind on ice loading

10' high chain link fence 9Ga 1-3/4" mesh 96' long 8' post spacing

Site Location - Philadelphia, PA Exposure C Risk Category I Flat ground

PENNSYLVANIA

2018 International Building Code (at the time of this writing)

For IBC 2018 & 2021 use ASCE 7-16

<https://asce7hazardtool.online/>

ASCE HAZARD TOOL

ADDRESS LAT/LONG FIND ON MAP

Philadelphia, Pennsylvania X SEARCH

2 Requested Data

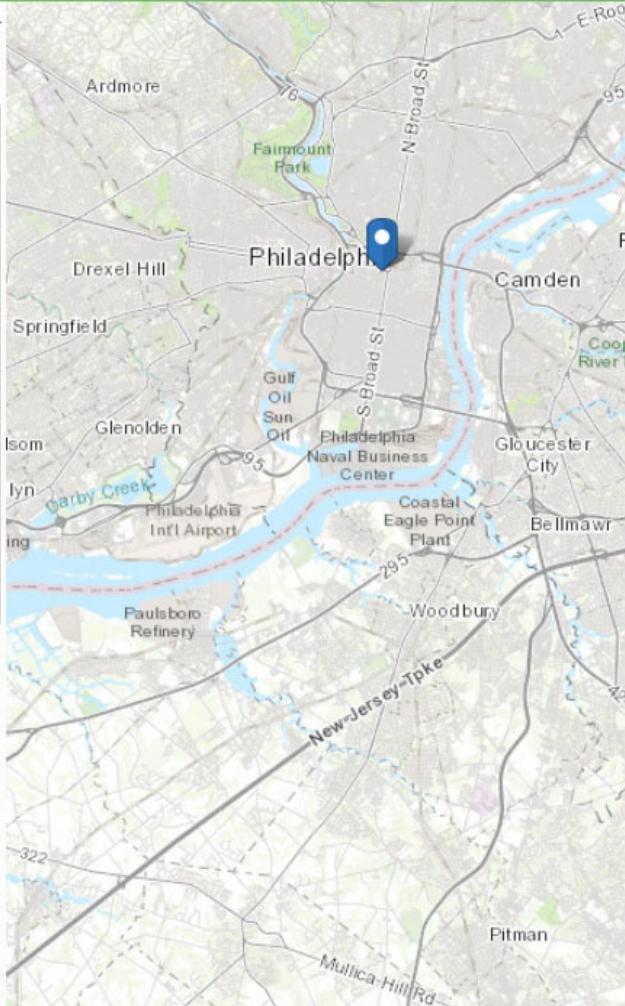
Standard Version i
ASCE/SEI 7-16 NEW! ASCE/SEI 41 now available

Risk Category i Site Soil Class i
I Select Soil Class

Measurements
Customary SI

Load Types
 Wind Seismic
 Ice Snow
 Rain Flood
 Tsunami Tornado

VIEW RESULTS



Standard: ASCE/SEI 7-16

Risk Category: I

Soil Class:

Wind

105 Vmph

Ice Details

Thickness 1.00 in.

Concurrent Temperature 15 F

Gust Speed 40 mph

For wind, $R_{1w} = 1.0$ For an open fence (e.g. chain link) with a Solidity Ratio, ϵ or $\epsilon' \leq 0.7$, $R_1 = 1.0$.

For wind on ice, $R_{1i} = 1.01$ (see below)

Case C Reduction Factor $R_{2i} = 0.8$ Return Corner Reduction Factor, $F_{3i} = 1.0$ as there is no return corner

Case C does not apply to the un-iced condition as the solidity ratio, $\epsilon \leq 0.7$, so R_{2w} & R_{3w} are N/A

Inverted Fence Opening Reduction Factor, R_1

ϵ or ϵ'	R_1
0.71	1.19
0.72	1.17
0.73	1.16
0.74	1.15
0.75	1.14
0.76	1.13
0.77	1.12
0.78	1.12
0.79	1.11
0.80	1.10
0.81	1.09
0.82	1.08
0.83	1.08
0.84	1.07
0.85	1.06

ϵ or ϵ'	R_1
0.86	1.06
0.87	1.05
0.88	1.04
0.89	1.04
0.90	1.03
0.91	1.03
0.92	1.02
0.93	1.02
0.94	1.01
0.95	1.01
0.96	1.01
0.97	1.01
0.98	1.00
0.99	1.00
1.00	1.00

$$R_{1w} = 1 / (1 - (1 - \epsilon)^{1.5})$$

$$R_{1i} = 1 / (1 - (1 - \epsilon')^{1.5})$$

Case C Reduction Factor, R_2	
s/h	R_2
1.000	0.80
0.975	0.83
0.950	0.85
0.925	0.88
0.900	0.90
0.875	0.93
0.850	0.95
0.825	0.98
≥ 0.800	1.00
$R_2 = (1.8 - s/h) \leq 1.0$	

For wind loading, $F_{hw} = 1.0$

For an open fence (e.g. chain link) with a Solidity Ratio, ϵ or $\epsilon' \leq 0.7$, $F_h = 1.0$

Force Height Adjustment Factor, F_h		
s/h	F_h	Notes
1.000	1.100	Per Solid Wall Table, Note 3
0.975	1.025	
0.950	1.050	
0.925	1.075	
0.900	1.100	
0.875	1.125	
0.850	1.150	
0.825	1.175	
0.800	1.200	

For wind on Ice Loading, $F_{hi} = 1.1$

Fence Length, $B = 96$ ft

Fencing Height, $s = 10'$

Aspect Ratio $B/s = 9.6$

C _f values - Solid / Mostly Solid Fencing - Case C - Posts near ends and corners											
Wind Region	Aspect Ratio, B/s										
	2	3	4	5	6	7	8	9	10	11	
0 to s	2.25	2.60	2.90	3.10*	3.30*	3.40*	3.55*	3.65*	3.75*	3.83*	3.92*
s to 2s	1.50	1.70	1.90	2.00	2.15	2.25	2.30	2.35	2.45	2.49	2.53
2s to 3s	-	1.15	1.30	1.45	1.55	1.65	1.70	1.75	1.85	1.89	1.93
> 3s	-	-	1.10	1.05	1.05	1.05	1.05	1.00	0.95	1.13	1.32

You can conservatively use the highest C_f value of intermediate B/s values, for example, for the 0 to s Region, $C_f = 3.75$ is acceptable. Values on the following page are more economical interpolated C_f values.

Worksheet – Open / Mostly Solid / Solid Fencing – Wind and Wind & Ice Loading

Site Location: Philadelphia, PA

FenceDesign.com

Customer:

Site and Geometrical Variables

IBC 2018

ASCE 7- 16

Risk Category I

Frost Depth 2.5 ft

Basic Wind Speed, V_w = 105 mph

Nominal Ice Thickness, t = 1.0 in

Gust / Concurrent Wind Speed for Ice Loading, V_i = 40 mph

Wind Pressure, q_w = 12.24 psf

Wind on Ice Pressure, q_i = 2.07 psf

Exposure Category C

Topographical Factor, K_{zt} = 1.0

Site Elevation, Z_e = 44' ft

Elevation Factor, K_e = 1.0

Height of fence, h = 10 ft

Gap at bottom of fence, g = 0 ft (zero if no gap)

Height of fencing material, $s = h - g$ = 10 ft

Velocity Pressure Exposure Coefficient, K_z = 0.85

Wind & Axial Loading

Fence Run # 1 Length of Fence, B = 96 ft Post spacing, L = 8 ft

Post Type: Line Posts (X) Post near end or corner ()

Solidity Ratio, ϵ = 0.16 Inverted Fence Opening Reduction Factor, R_{1w} = 1.0

Case C Reduction Factor, R_{2w} = N/A Return Corner Reduction Factor, R_{3w} = N/A

Force Height Adjustment Factor, F_{hw} = 1.0 Wind Force Coefficient, C_{fw} = 0.13

Expected Post Diameter or Width, \emptyset_p = 2.875 in (Set to Zero for solid / mostly solid fencing)

Top Rail Diameter or Width, \emptyset_r = 1.625 in Mid Rail Diameter or Width, \emptyset_m = 1.625 in

(\emptyset_r & \emptyset_m – set to Zero if not applicable for rails or for solid / mostly solid fencing)

$$\text{Wind Area of Post, } A_p = \emptyset_p / 12 \times h = \frac{2.875''}{\emptyset_p} \div 12 \times \frac{10'}{h} = \frac{2.40}{A_p} \text{ ft}^2$$

($A_p = 0$ for solid / mostly solid fencing)

Wind Area of Rails, $A_r = (\emptyset_r / 12) \times 2 \times L + (\emptyset_m / 12) \times L$ ($A_r = 0$ for solid / mostly solid fencing)

$$A_r = \left(\frac{1.625''}{\emptyset_r} \div 12 \times 2 \times \frac{8'}{L} \right) + \left(\frac{1.625''}{\emptyset_m} \div 12 \times \frac{8'}{L} \right) = \frac{3.25}{A_r} \text{ ft}^2$$

$$\text{Wind area tributary to the post, } A_w = \epsilon s L + A_p + A_r = \frac{0.16}{\epsilon} \times \frac{10'}{s} \times \frac{8'}{L} + \frac{2.4}{A_p} + \frac{3.25}{A_r} = \frac{18.45}{A_w} \text{ ft}^2$$

Dead Load of fencing materials, D_m 1.0 psf

Lateral and Axial Forces for Wind Loading

$$\text{Minimum wind force to the post, } f_{min} = (0.6) 16.0 A_w = 9.6 \times \frac{18.45}{A_w} = \frac{177}{f_{min}} \text{ lbs}$$

Calculated Wind Force to the post, $f_w = q_w K_z K_{zt} K_e R_{1w} F_{hw} C_{fw} A_w$

$$f_w = \frac{12.24 \times 0.85 \times 1.0 \times 1.0 \times 1.0 \times 1.0 \times 1.3 \times 18.45}{q_w K_z K_{zt} K_e R_{1w} F_{hw} C_{fw} A_w} = \frac{250}{f_w} \text{ lbs}$$

$$\text{Maximum wind force to the post, } f'_w = \text{maximum value of either } f_{min} \text{ or } f_w = \frac{250}{f'_w} \text{ lbs}$$

The Axial Force supported by the post, $p_a = D_w s L$

$$p_w = \frac{1.0}{D_w} \times \frac{10'}{s} \times \frac{8'}{L} = \frac{80}{p_w} \text{ lbs} \quad (\text{rails neglected - can be added in later})$$

$$5 \times p_w = \frac{400}{p_w} \text{ lbs (used for stability check)}$$

Wind on Ice Loading

Fence Run # 1

Length of Fence, B = 96 ft

Post spacing, L = 8 ft

Post Type: Line Posts()

Post near end or corner(X)

Wind on Ice Force Variables

Iced Solidity Ratio, ϵ' = 0.97

Inverted Fence Opening Reduction Factor, R_{1i} = 1.01

Case C Reduction Factor, R_{2i} = 0.8

Return Corner Reduction Factor, R_{3i} = 1.0

Force Height Adjustment Factor, F_{hi} = 1.1

Wind Force Coefficient, C_{fi} = 2.76

Dead Load of Ice, D_i = 4.4 psf

Wind area tributary to the post in the iced condition, $A_i = \epsilon' s L$

$$A_i = \frac{0.97}{\epsilon'} \times \frac{10'}{s} \times \frac{8'}{L} = \frac{77.6}{A_i} \text{ ft}^2$$

Wind on Ice Force to the post, $f_i = q_i K_z K_{zt} K_e R_{1i} F_{hi} C_{fi} A_i$

$$f_i = \frac{2.07}{q_i} \times \frac{0.85}{K_z} \times \frac{1.0}{K_{zt}} \times \frac{1.0}{K_e} \times \frac{1.01}{R_{1i}} \times \frac{1.1}{F_{hi}} \times \frac{2.76}{C_{fi}} \times \frac{77.6}{A_i} = \frac{419}{f_i} \text{ lbs}$$

Axial Force supported by the post, $p_i = (D_w + D_i) s L$

$$p_i = \left(\frac{1.0}{D_w} + \frac{4.4}{D_i} \right) \times \frac{10'}{s} \times \frac{8'}{L} = \frac{432}{p_i} \text{ lbs}$$

$5 \times p_i = \underline{2,160}$ lbs (used for stability check)

Post Selection

Using the diameter of the desired post size, O.D., and the Fence Height, h, look through the post charts for post types that have F_a values larger than the f_w' & f_i values, and P_a values larger than the p_w & p_i values. If the post has an * next to the P_a value, only use it if the P_a value is $\geq 5 \times p_i$ due to stability requirements.

Put in the O.D, post type, weight per foot, D_p and fence height, h and calculate p_w' and p_i' to include the weight of the post. Add any additional weight if needed.

f_w' / F_a is the bending strength ratio for Wind. f_i / F_a is the bending strength ratio for Wind & Ice.

p_w' / P_a is the axial strength ratio for Wind. p_i' / P_a is the axial strength ratio for Wind & Ice.

If the sum of the bending strength and axial strength ratios for both Wind and Wind & Ice loading are ≤ 1.0 , the post is acceptable.

O.D.	Post Type	D_p (lb/f)	h (ft)	$p_w' = p_w + (D_p \times h)$	$p_i' = p_i + (D_p \times h)$
2.875	40 wt / 50 ksi	4.6	10'	$p_w' = 126$ lbs	$p_i' = 478$ lbs
Wind					
$f_w' = \frac{250}{F_a} = \frac{250}{547} = 0.46$			$p_w' = \frac{126}{P_a} = \frac{126}{2,818} = 0.05$		$\frac{f_w'}{F_a} + \frac{p_w'}{P_a} = 0.51$ OK
Wind & Ice					
$f_i = \frac{419}{F_a} = \frac{419}{547} = 0.77$			$p_i' = \frac{478}{P_a} = \frac{478}{2,818} = 0.17$		$\frac{f_i}{F_a} + \frac{p_i'}{P_a} = 0.94$ OK

The following pages show the iterative design steps for sizing the post footing. The minimum footing diameter is $2.875 + 4"$ or about 7". 9" is a more common auger size so that is what is used below.

Soil class 4 is assumed for soil lateral and bearing strength. See Footing Design page of FenceDesign.com for IBC table 1806.2

First guess at footing depth is 5'.

Footing Sizing (non-constrained footings)

First pass

Design Footing Depth, D = 5 ft

Footing Diameter, b = 0.75 ft

Lateral Bearing Pressure per foot of depth, S = 150 psf / ft per geotechnical analysis or table 1806.2

Maximum Wind Force, P = maximum value of f_w' or f_i = 419 lbs Post Height, h = 10 ft

Modifier for Isolated Posts, M = 2.0 per IBC §1086.3.4

Allowable Lateral Soil Bearing Pressure for non-constrained footings, $S_1 = \frac{1}{3} D S M$

$$S_1 = \frac{1}{3} \times \frac{5'}{D} \times \frac{150}{S} \times 2.0 = \frac{500}{S_1} \text{ psf} \quad \text{per IBC §1807.3.2.1}$$

Soil Bearing Factor, A = $2.34 P / (S_1 b)$ per IBC §1807.3.2.1

$$A = 2.34 \times \frac{419}{P} \div \left(\frac{500}{S_1} \times \frac{0.75}{b} \right) = \frac{2.615}{A}$$

$$\text{Minimum Depth, } d = \frac{1}{2} A \left(1 + \sqrt{1 + \frac{4.36 \frac{1}{2} h}{A}} \right) \quad \text{per Eq. 18-1, modified for fencing}$$

$$d = \frac{1}{2} \times \frac{2.615}{A} \times \left(1 + \sqrt{1 + \left(4.36 \times \frac{1}{2} \times \frac{10'}{h} \div \frac{2.615}{A} \right)} \right) = \frac{5.3}{d} \text{ ft}$$

d = 5.3 ft > D= 5.0 ft - start over with a larger footing depth

Calculations continue on the next page

Type text here

Footing Sizing (non-constrained footings) Second pass

Design Footing Depth, D = 5.5 ft Footing Diameter, b = 0.75 ft

Lateral Bearing Pressure per foot of depth, S = 150 psf / ft per geotechnical analysis or table 1806.2

Maximum Wind Force, P = maximum value of f_w or f_i = 419 lbs Post Height, h = 10 ft

Modifier for Isolated Posts, M = 2.0 per IBC §1086.3.4

Allowable Lateral Soil Bearing Pressure for non-constrained footings, $S_1 = \frac{1}{3} D S M$

$$S_1 = \frac{1}{3} \times \frac{5.5'}{D} \times \frac{150}{S} \times 2.0 = \frac{549.5}{S_1} \text{ psf} \quad \text{per IBC §1807.3.2.1}$$

Soil Bearing Factor, A = $2.34 P / (S_1 b)$ per IBC §1807.3.2.1

$$A = 2.34 \times \frac{419}{P} \div \left(\frac{549.5}{S_1} \times \frac{0.75}{b} \right) = \frac{2.379}{A}$$

$$\text{Minimum Depth, } d = \frac{1}{2} A \left(1 + \sqrt{1 + \frac{4.36 \frac{1}{2} h}{A}} \right) \quad \text{per Eq. 18-1, modified for fencing}$$

$$d = \frac{1}{2} \times \frac{2.379}{A} \times \left(1 + \sqrt{1 + (4.36 \times \frac{1}{2} \times \frac{10'}{h} \div \frac{2.379}{A})} \right) = \frac{4.98}{d} \text{ ft} \quad d < D \text{ OK}$$

$$\text{Area of the bottom of the footing, } A_f = \pi (\frac{1}{2} b)^2 = 3.14 \times (\frac{1}{2} \times \frac{0.75}{b})^2 = \frac{0.44}{A_f} \text{ ft}^2$$

$$\text{Footing Volume, } V = A_f D = \frac{0.44}{A_f} \times \frac{5.5}{D} = \frac{2.42}{V} \text{ ft}^3$$

$$\text{Weight of footing, } D_f = 150 V = 150 \times \frac{2.42}{V} = \frac{363}{D_f} \text{ lbs} \quad (\text{Typical Concrete weight is } 150 \text{ lbs / ft}^3)$$

Axial Dead Load, $D_{max} = D_f + p_i'$ for fencing plus ice loading. $D_{max} = D_f + p_w'$ if there is no ice loading

$$D_{max} = \frac{363}{D_f} + \frac{478}{p_i' \text{ or } p_w'} = \frac{841}{D_{max}} \text{ lbs}$$

Maximum Vertical Foundation Pressure, $S_y = \frac{2,000}{S_y}$ psf per geotechnical analysis or table 1806.2

$$\text{Maximum Axial Pressure on the soil, } s_y = D_{max} / A_f = \frac{841}{D_{max}} \div \frac{0.44}{A_f} = \frac{1,911}{S_y} \text{ psf}$$

$$\text{Actual to Allowable Soil Strength Ratio, } s_y / S_y = \frac{1,911}{s_y} \div \frac{2,000}{S_y} = \frac{0.96}{S_y} \leq 1.0 \text{ is OK}$$

s_y / S_y must be less than 1.0. If not, start over with a larger footing diameter, b

Footing depth of 5' 6" and footing diameter of 9" are OK for this example